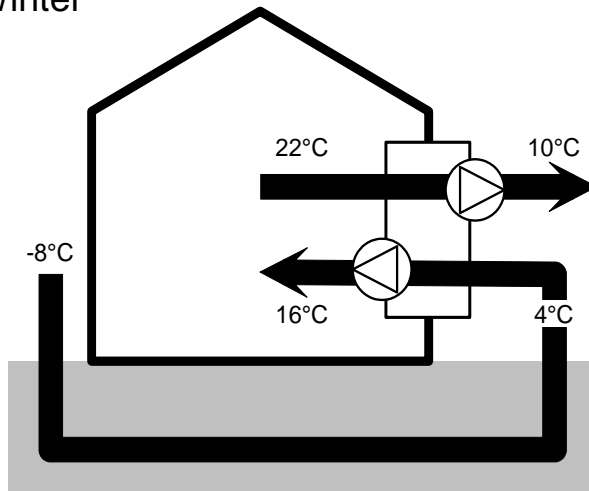


Earth Air Tunnel: Principles, case studies, guidelines

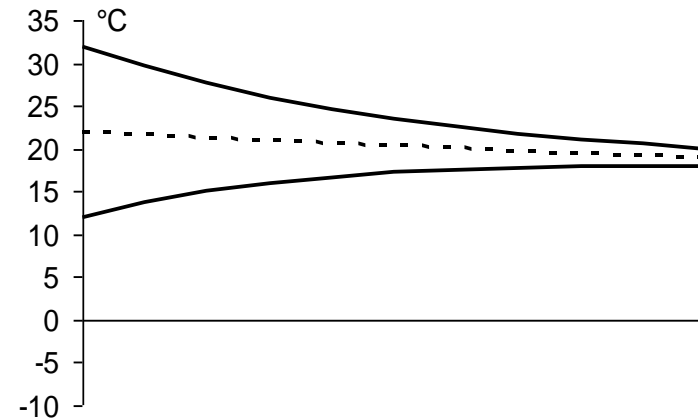
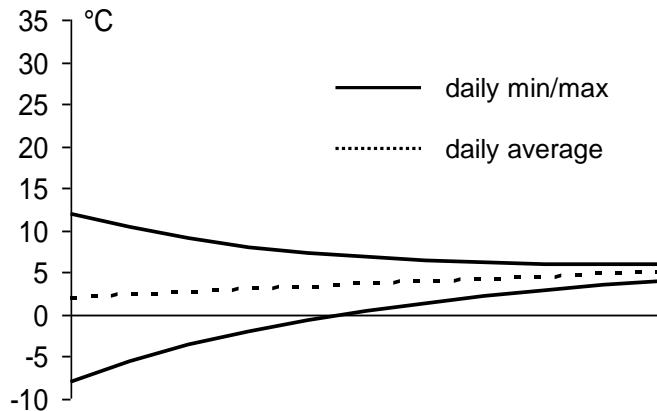
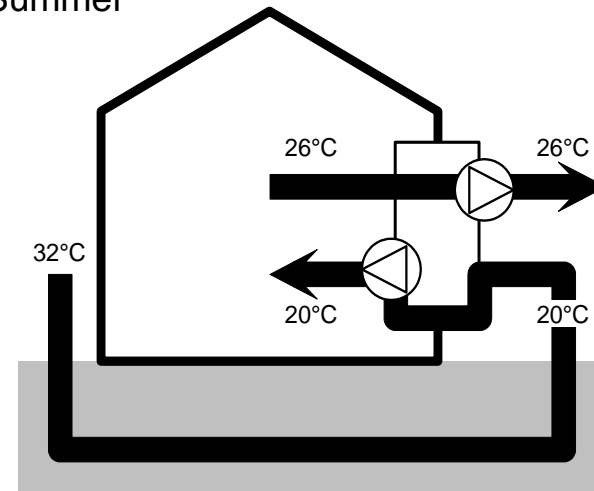
EAT principle

- Use of soil thermal inertia
- Reduction of temperature peaks carried by ventilation

Winter

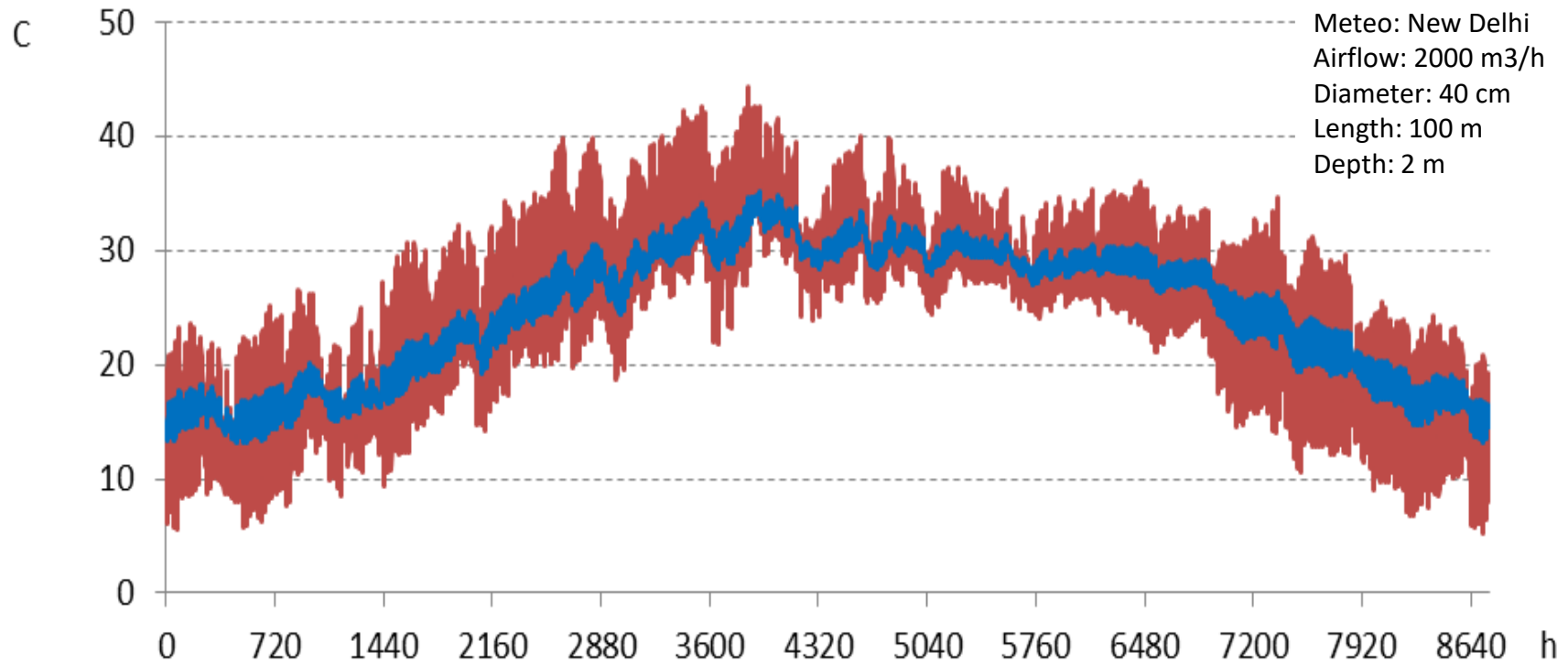


Summer



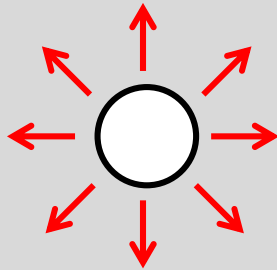
EAT principle

Typical hourly dynamic

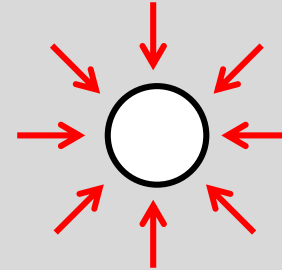


Periodic charge / discharge

Summer and Day

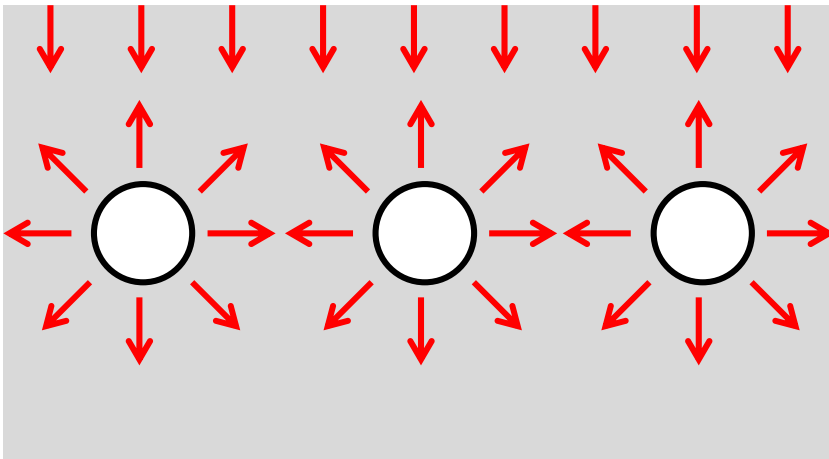


Winter and Night

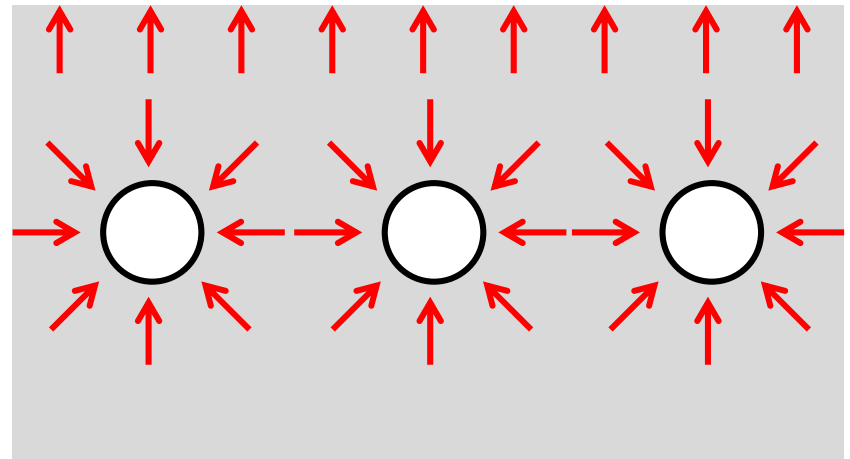


Interaction with surface and between pipes

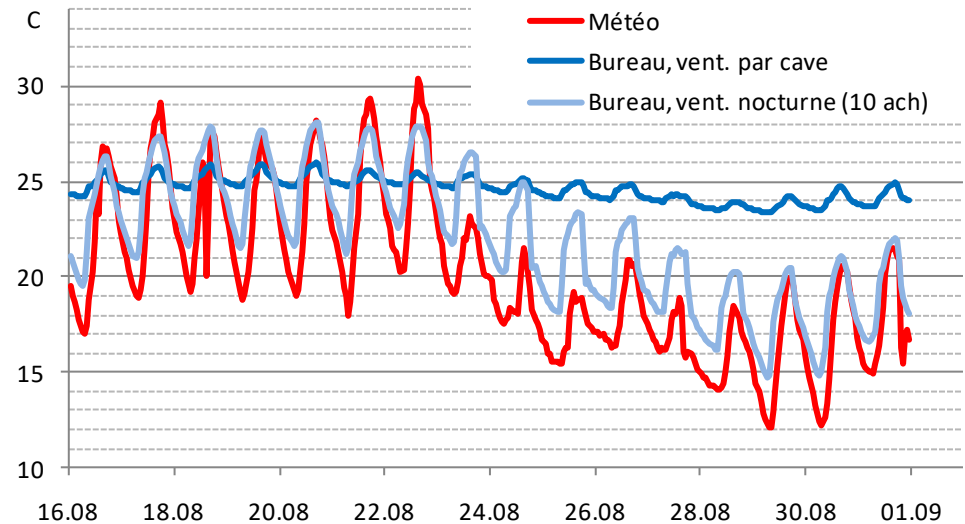
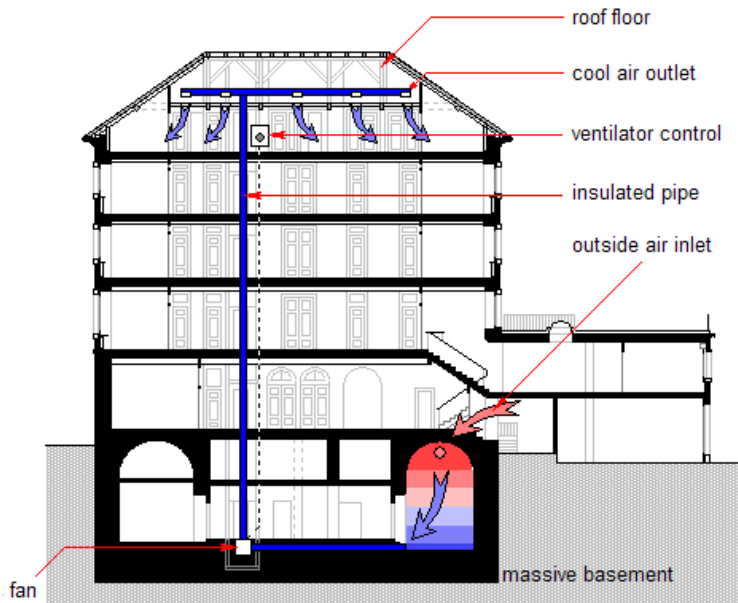
Summer and Day



Winter and Night

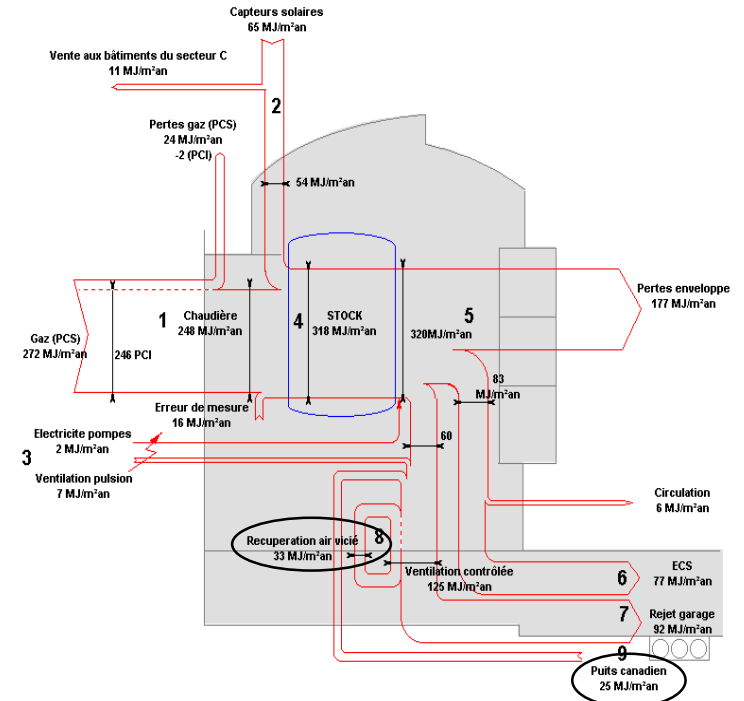
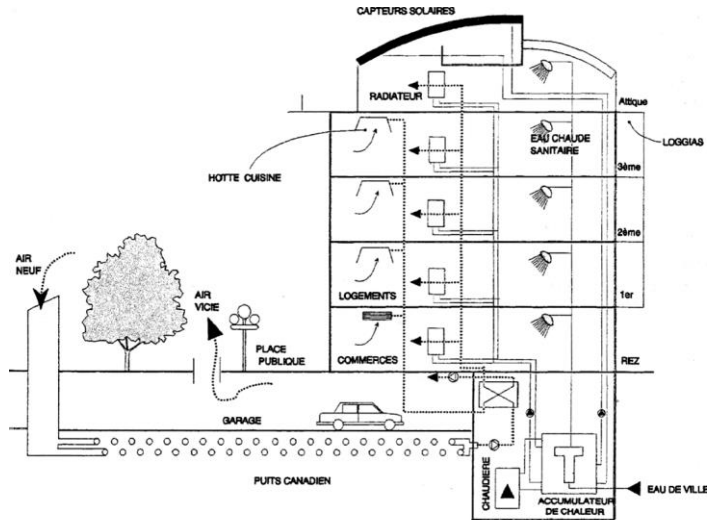


Aymon building (Sion)



- Additional thermal mass
- Day/night oscillation cut-off + over-ventilation = important cooling effect
- Robustness of simple solutions (reproducibility / optimization)

Cité solaire (Plan-les-Ouates)



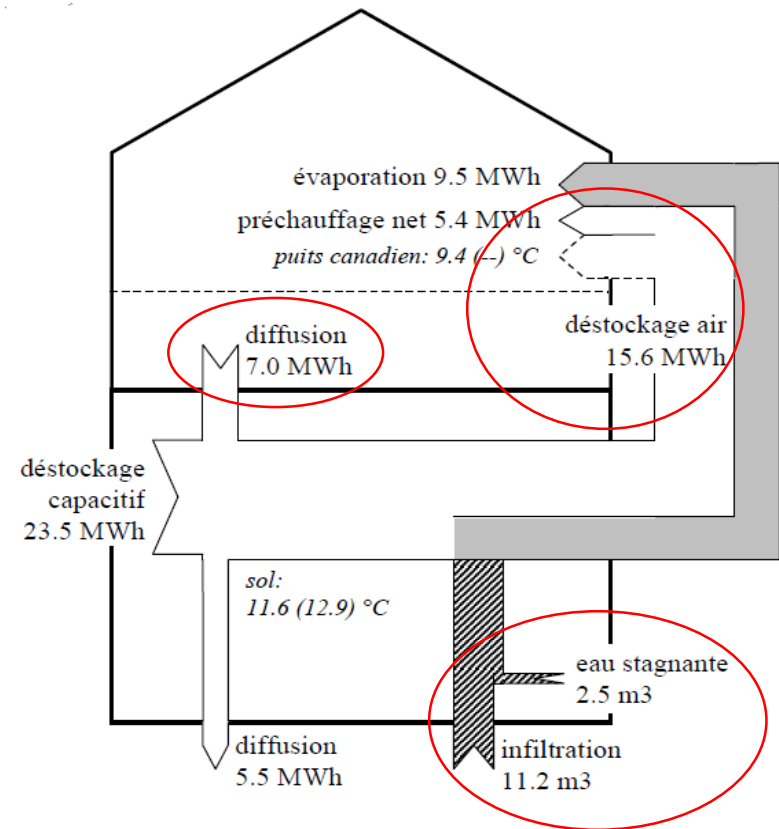
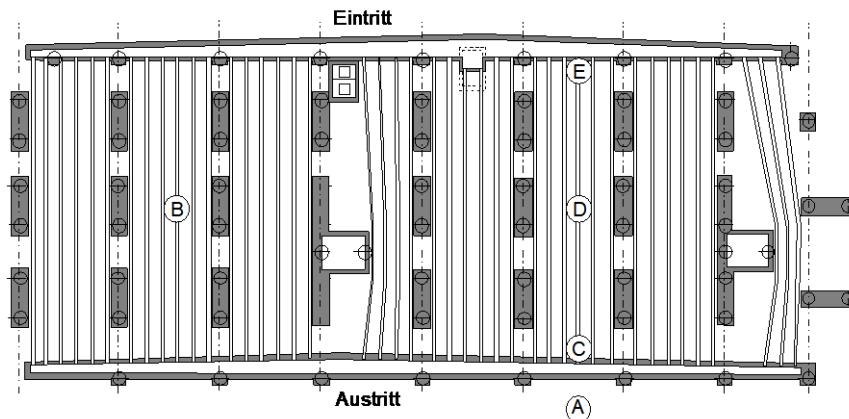
- Buried pipes in competition with recovery on exhaust air (but avoids freezing of heat recovery unit)
- Important cost, little preheating (mainly daily effect)

Case studies

Schwerzenbacherhof (Zurich)



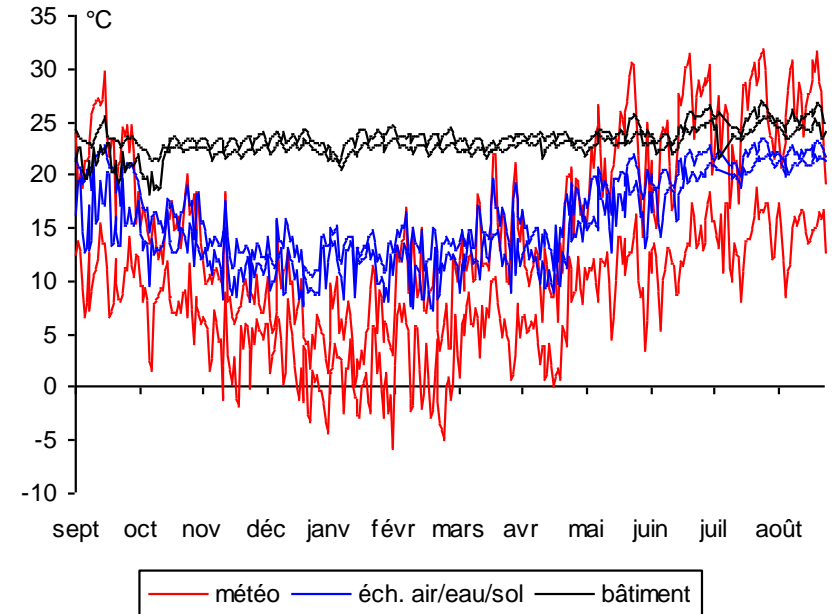
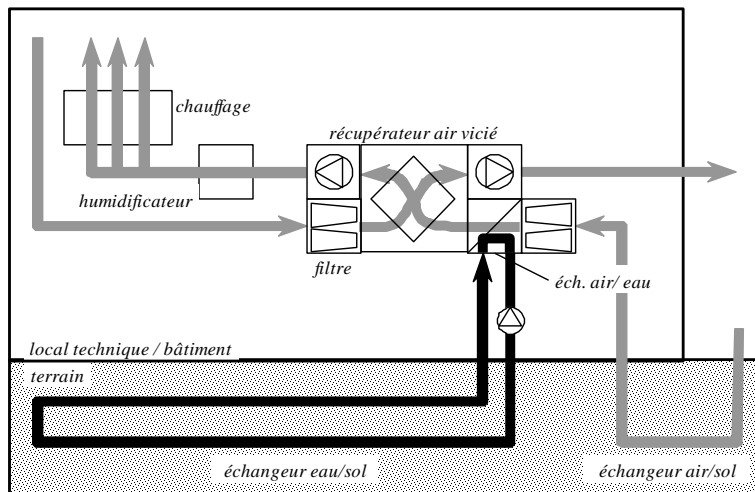
0 5 10 15 20 25 30m



- Cooling by over-ventilating !
- Water infiltration/evaporation ?
- Thermal link with building

Background

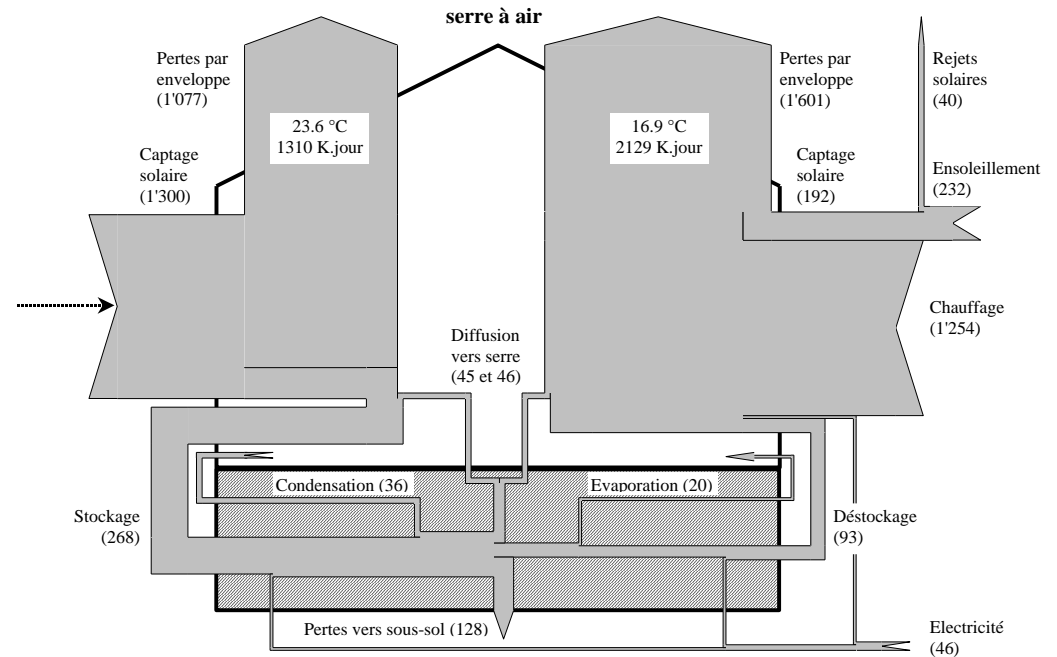
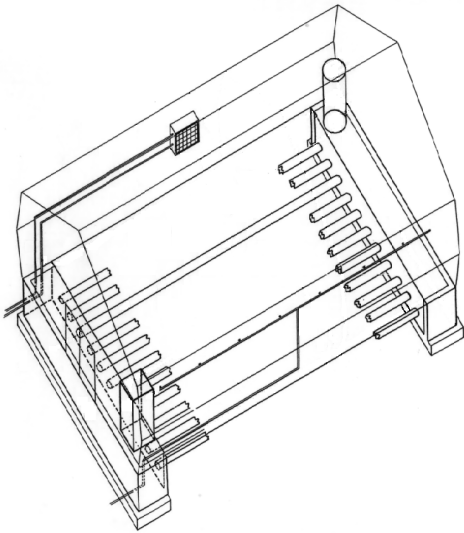
Perret building (Satigny)



- Simple solution
- Bottle neck: air- water heat exchanger
- Energetic loss due to link between building and buried pipes

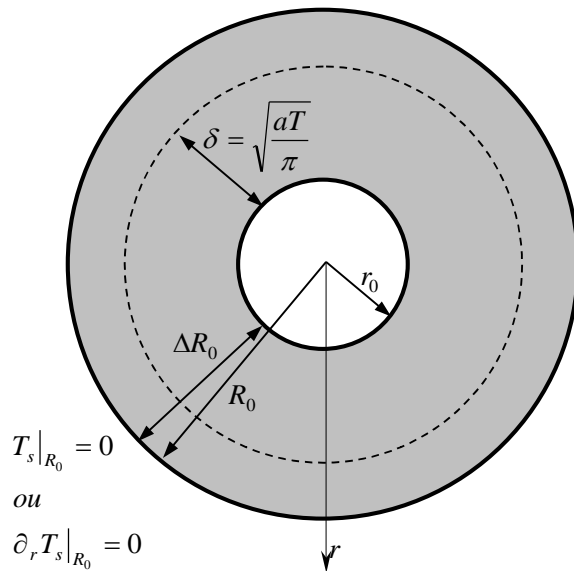
Background

Geoser project (Conthey/Sion)



- Importance of auxiliary electricity
- Importance of global energy balance
- Potential water condensation/evaporation

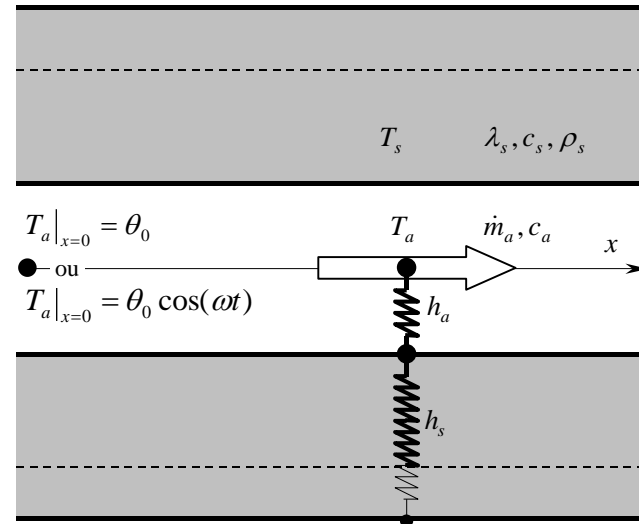
Analytical approach



$$a_s \left(\partial_r^2 T_s + \frac{1}{r} \partial_r T_s \right) = \partial_t T_s$$

$$c_a \dot{m}_a \left(\partial_x T_a + \frac{1}{v_a} \partial_t T_a \right) = 2\pi r_0 h_a (T_s|_{r=r_0} - T_a)$$

$$\lambda_s \partial_r T_s|_{r=r_0} = h_a (T_s|_{r=r_0} - T_a)$$



- Objective: characterization of storage/dampening
- Limitation: cylindrical symmetry, constant airflow

Main results (without perturbation from upper surface)

- Dampening and phase-shifting of harmonic input :

$$T_{in} = T_0 \sin(\omega t)$$

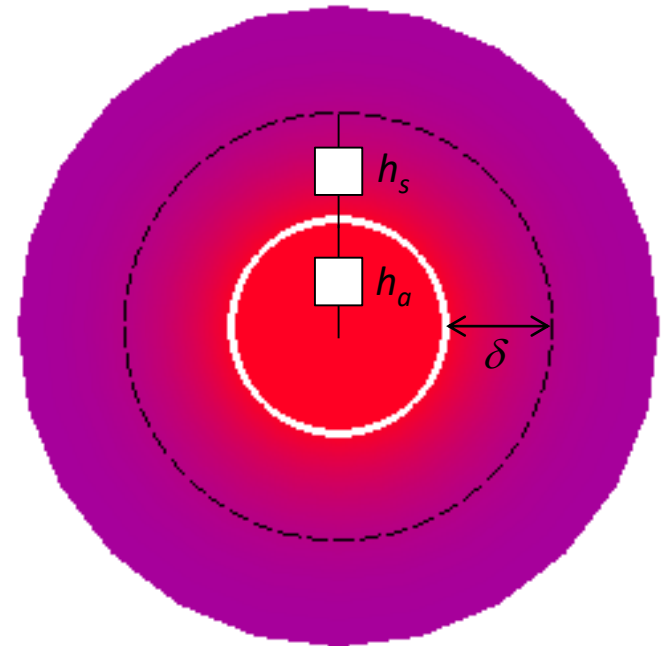
$$T_{out} = T_0 \exp\left(-\frac{Sh}{c\dot{m}}\right) \sin\left(\omega t - \frac{Sk}{c\dot{m}}\right)$$

- Phase-shifting usually secondary
- Heat penetration depth depends on period :

$$\delta = \sqrt{\frac{\lambda}{c\rho} \frac{\tau}{\pi}} \quad \begin{array}{l} \sim 3 \text{ m in yearly mode} \\ \sim 15 \text{ cm in daily mode} \end{array}$$

- Dampening given by serial link between convective and diffusive exchange :

$$h \approx \frac{h_a h_s}{h_a + h_s} \quad h_s \approx \frac{\lambda}{r_0 \ln\left(1 + \frac{\delta}{r_0}\right)} \quad (\text{if } R_0 \geq \delta)$$



Periodic heat charge / discharge

Comparison with charge / discharge from free upper surface

$$T(z,t) = T_0 + \theta_0 \exp\left(-\frac{z}{\delta}\right) \cos\left(\omega t - \frac{z}{\delta}\right)$$

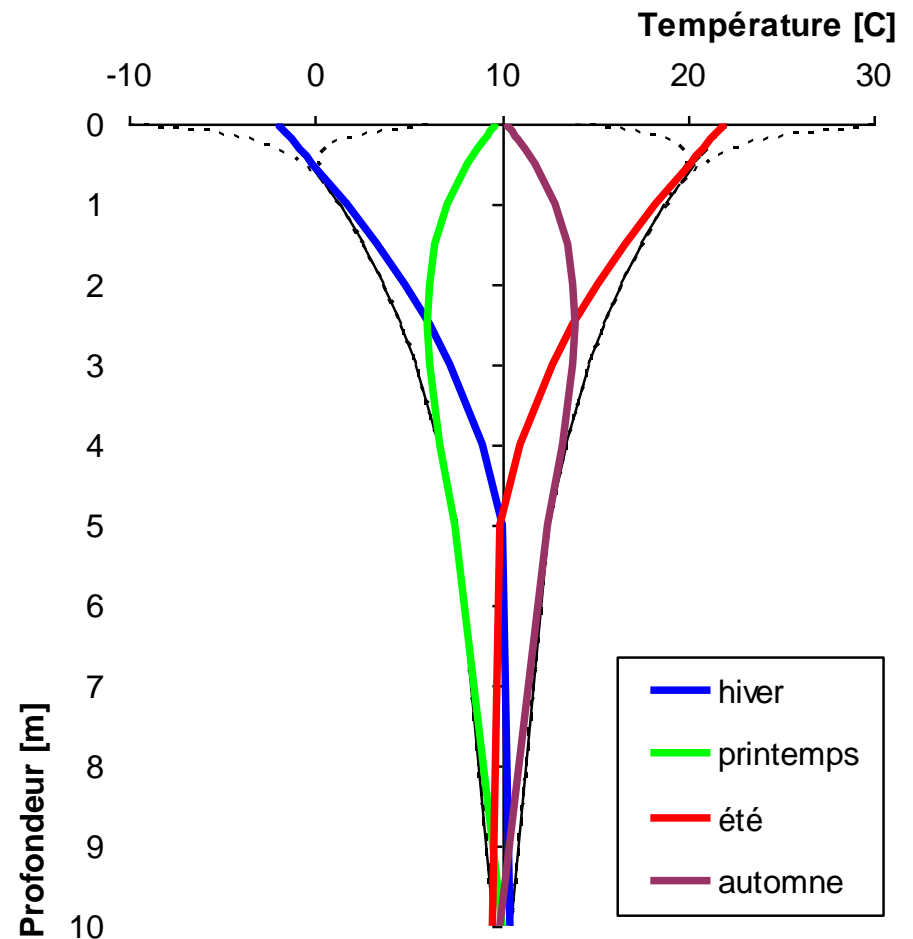
Penetration depth

$$\delta = \sqrt{\frac{a\tau}{\pi}} \quad a = \frac{\lambda}{c\rho}$$

Typical heat penetration

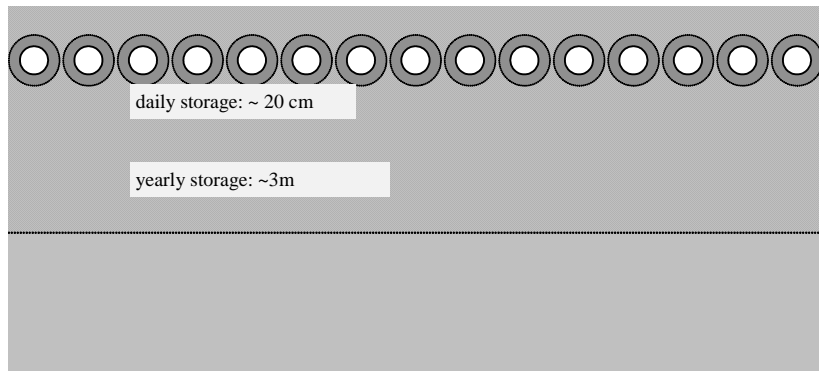
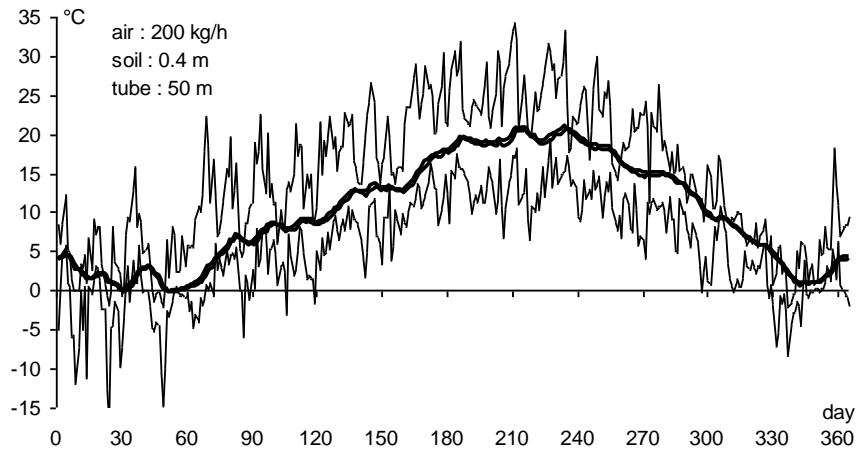
$$\lambda = 2 \text{ W/K.m} \quad c\rho = 2 \text{ MJ/K.m}^3$$

Period	Penetration
1 hour	3 cm
1 day	17 cm
1 month	90 cm
1 year	3 m
100 years	32 m
10'000 years	320 m

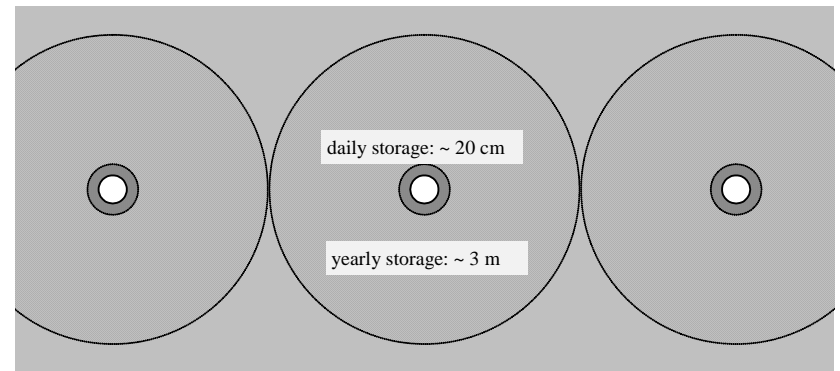
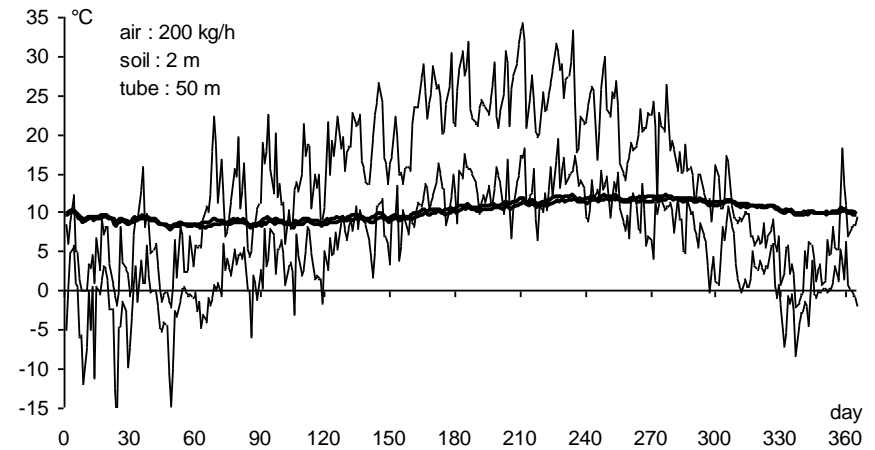


Geometrical configurations

Dampening of annual oscillation



Dampening of daily oscillation



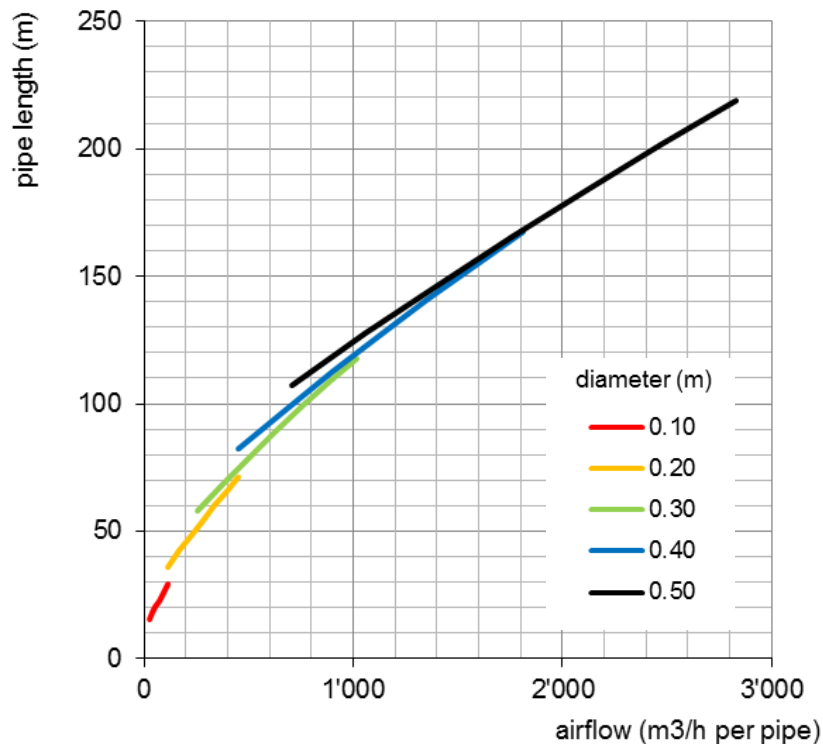
Hypothesis: no interference from upper surface !

Nomographs for daily and annual amplitude reduction

Dry soil (conductivity: 1.1 W/K.m, specific heat: 1.6 MJ/K.m³)

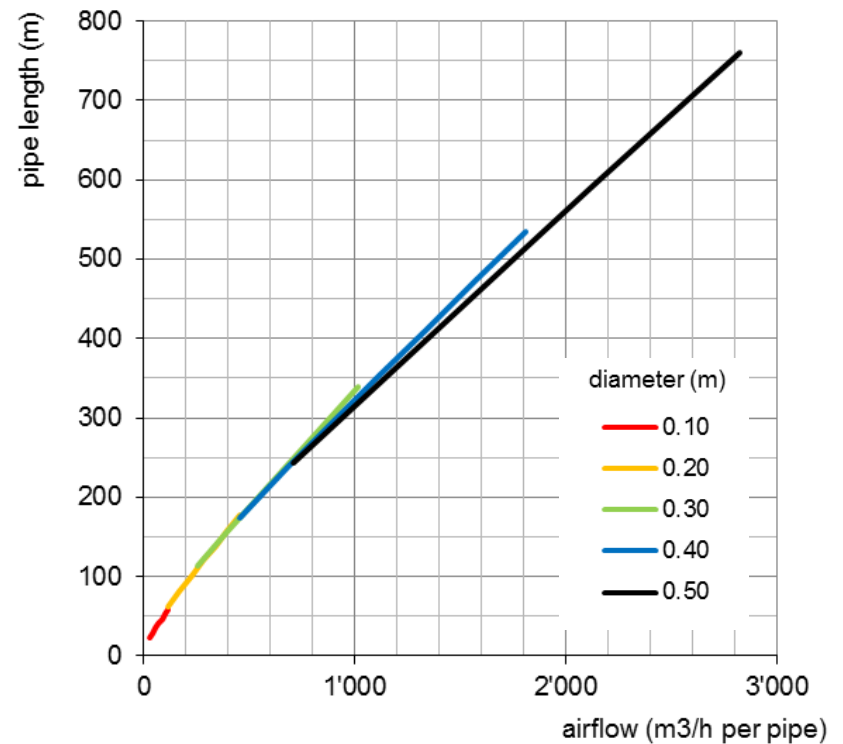
Daily oscillation reduction (15% amplitude)

Soil around pipe: ~20 cm



Annual oscillation reduction (15% amplitude)

Soil around pipe: ~260 cm

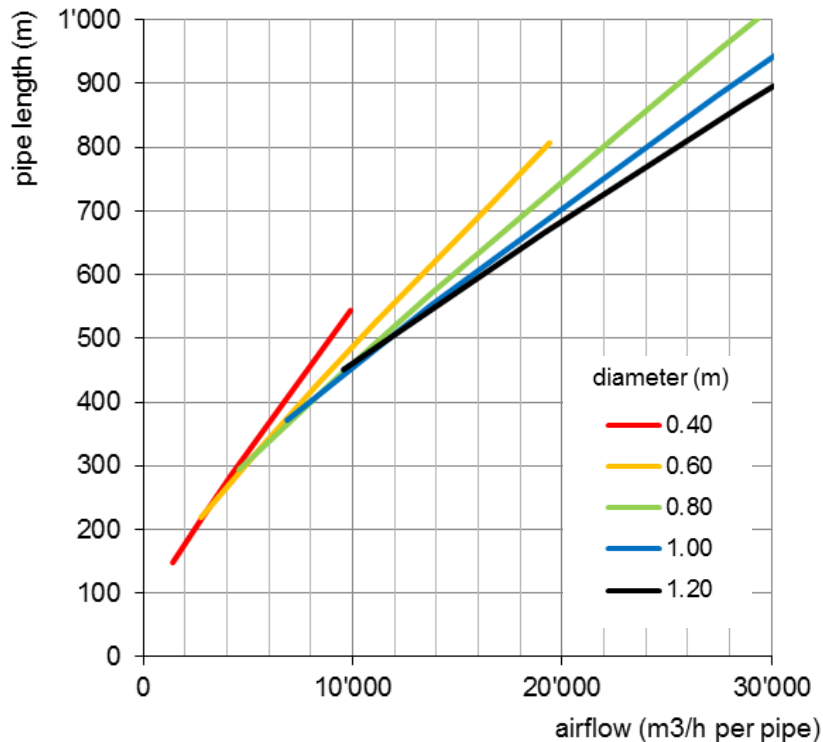


Nomographs for daily and annual amplitude reduction

Dry soil (conductivity: 1.1 W/K.m, specific heat: 1.6 MJ/K.m³)

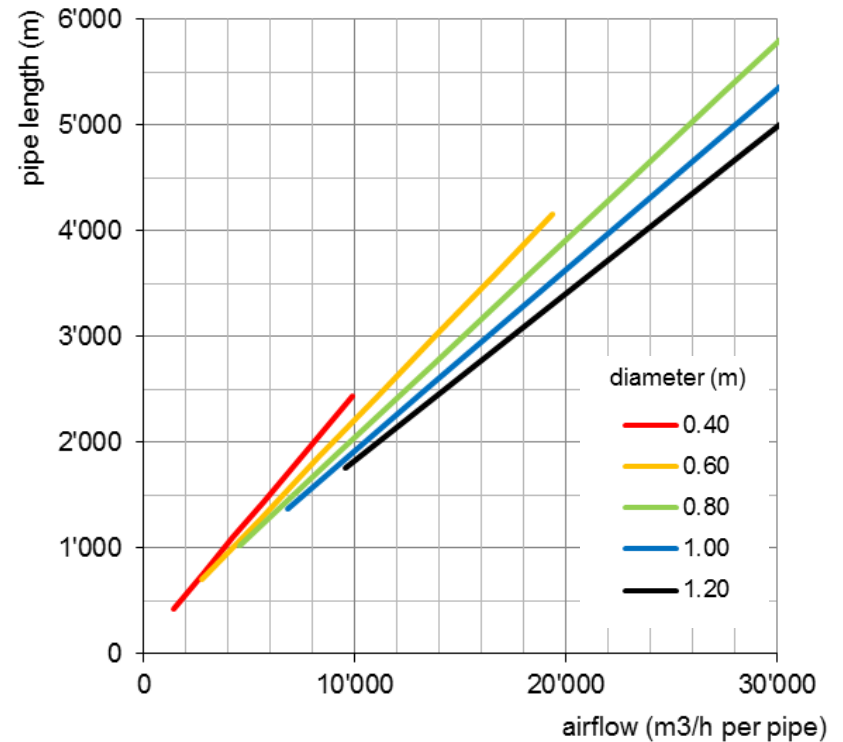
Daily oscillation reduction (15% amplitude)

Soil around pipe: ~20 cm

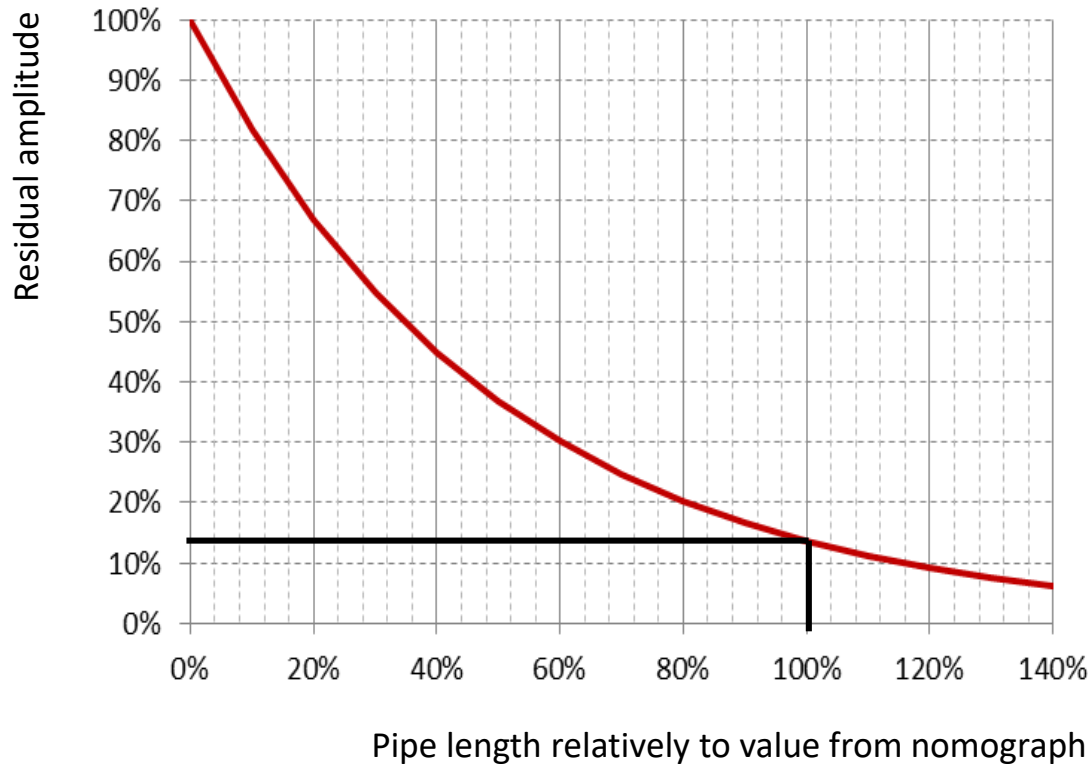


Annual oscillation reduction (15% amplitude)

Soil around pipe: ~260 cm



Use of nomograph with other pipe length



$$\frac{\theta}{\theta_0} = \exp\left(-2 \frac{L}{L_0}\right)$$

θ Half amplitude outlet

θ_0 Half amplitude inlet

L Pipe length

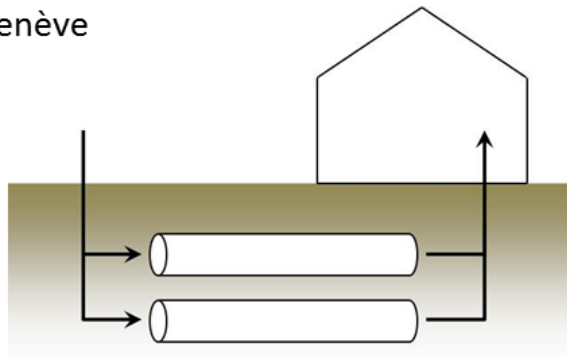
L_0 Pipe length from nomograph


EasyPipes

dimensioning tools for air-soil heat exchangers



P. Holmüller,
Université de Genève



 Schweizerische Eidgenossenschaft
Confédération suisse
Confederazione Svizzera
Confederaziun svizra

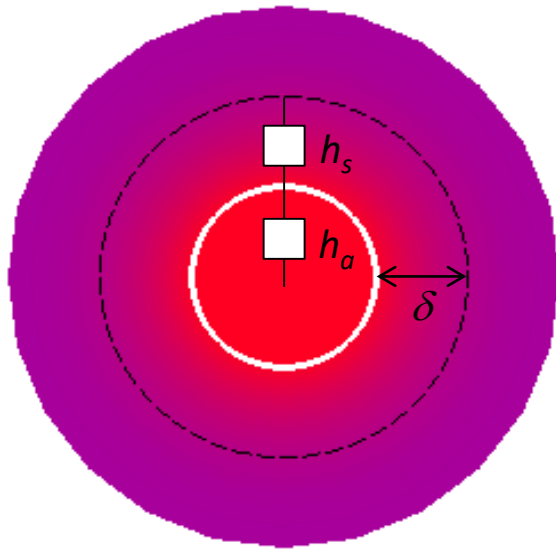


Two complementary tools for design of EAT:

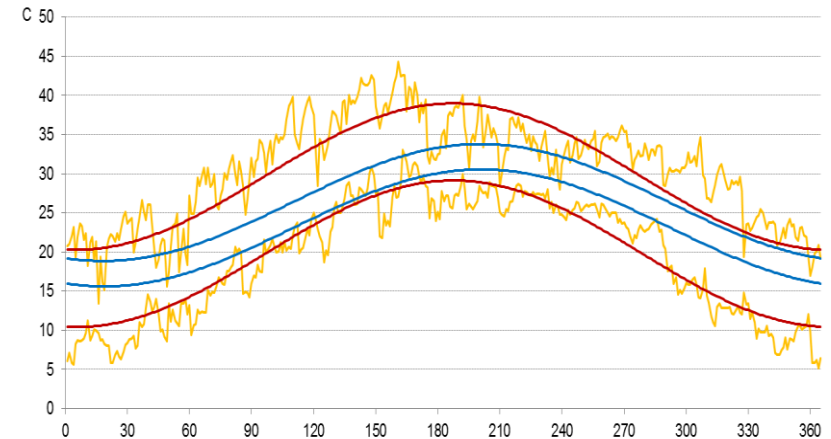
- EasyPipes Basic: pre-design
- EasyPipes Plus: detailed design

EasyPipes Basic: pre-design

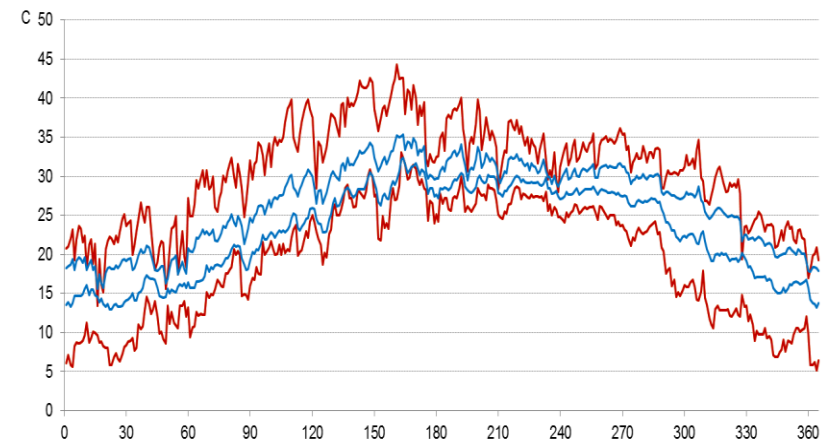
- Analytical solution of heat charge and discharge around a pipe
- Excel integrated
- Analysis in terms of annual and daily frequencies



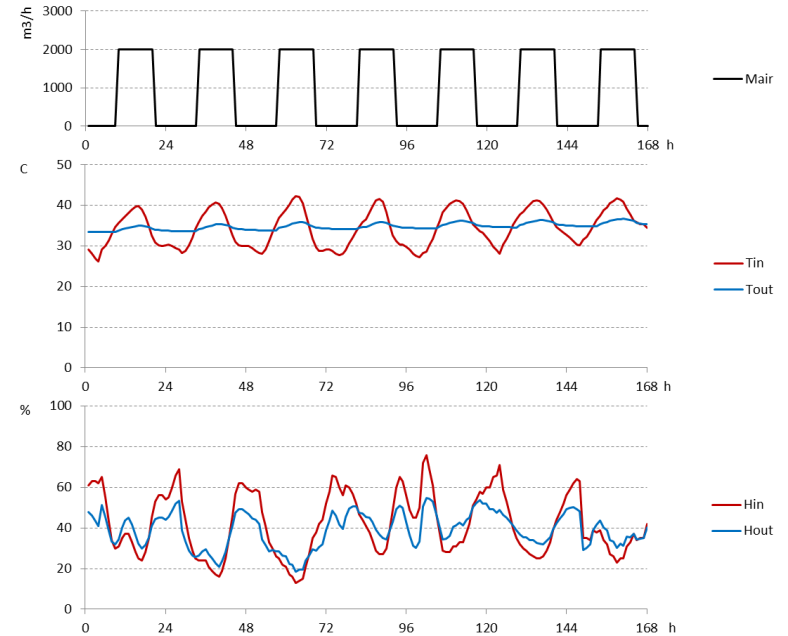
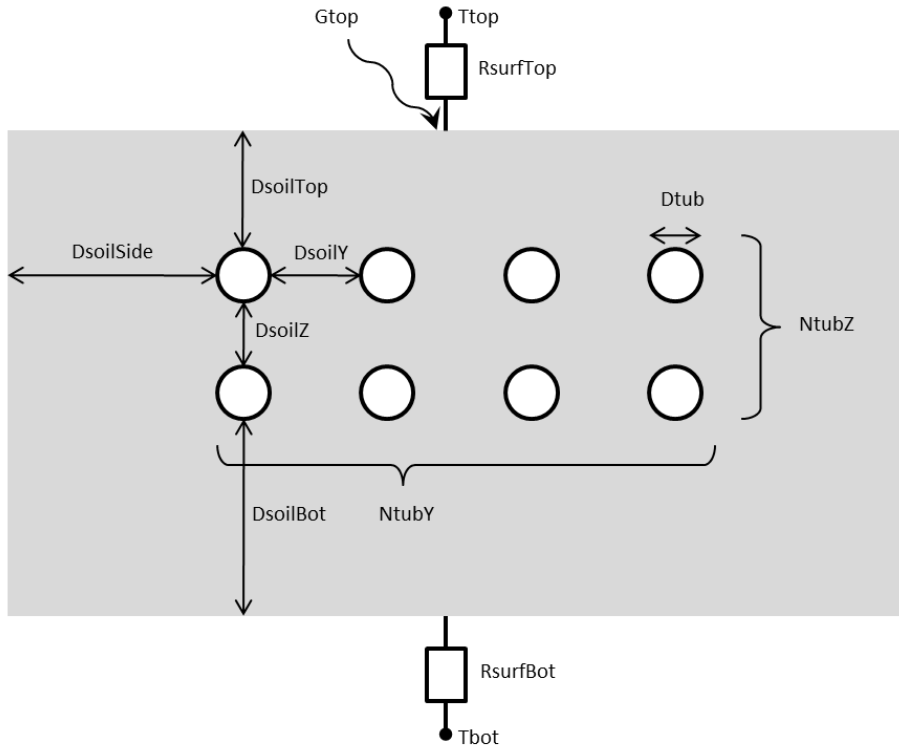
365 days : daily min/max



365 days : daily min/max



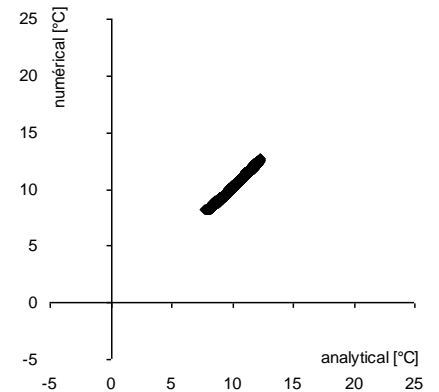
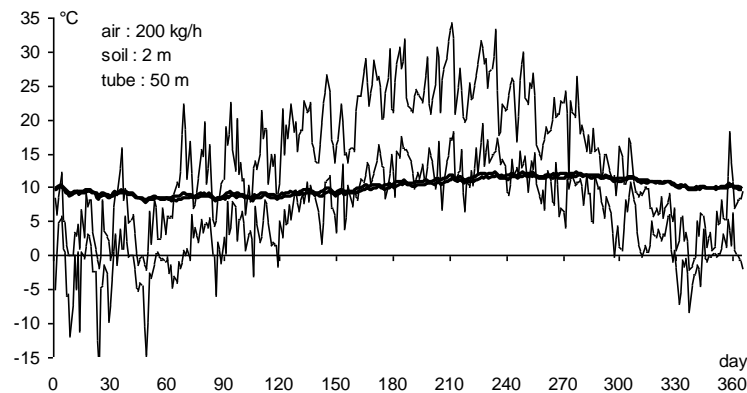
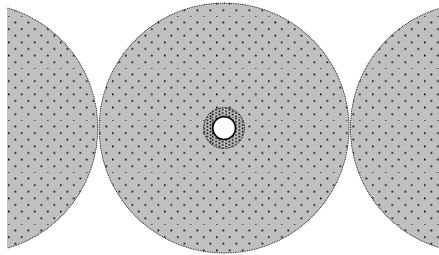
EasyPipes Plus: detailed design



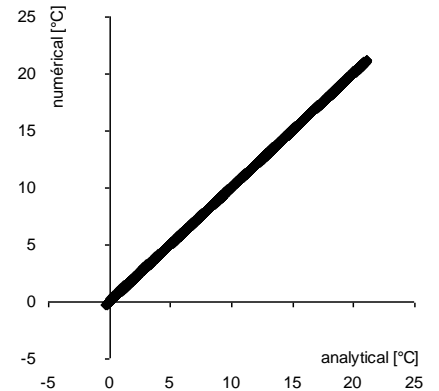
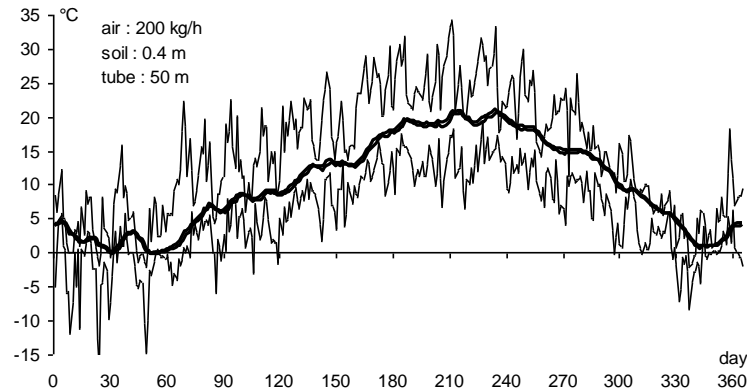
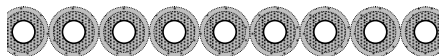
- Numerical simulation algorithm
- Excel interface to Trnsys simulation environment
- Transient airflow
- Interference with upper surface and between the pipes
- Water condensation/evaporation

Numerical versus analytical model

Dampening of annual oscillation

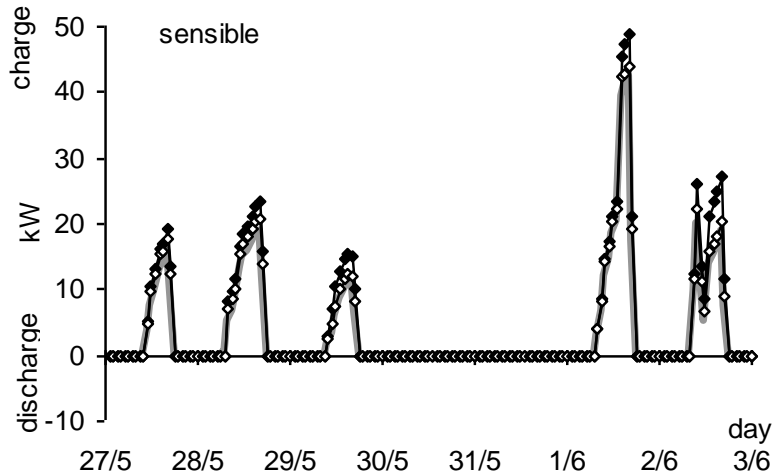


Dampening of daily oscillation

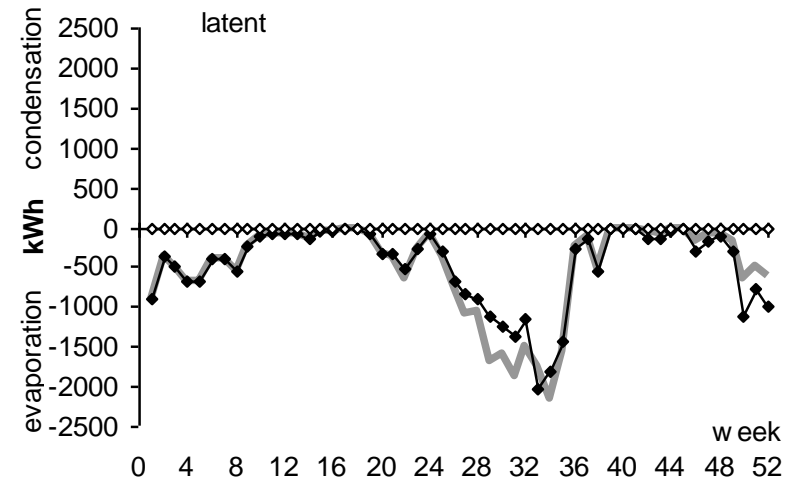
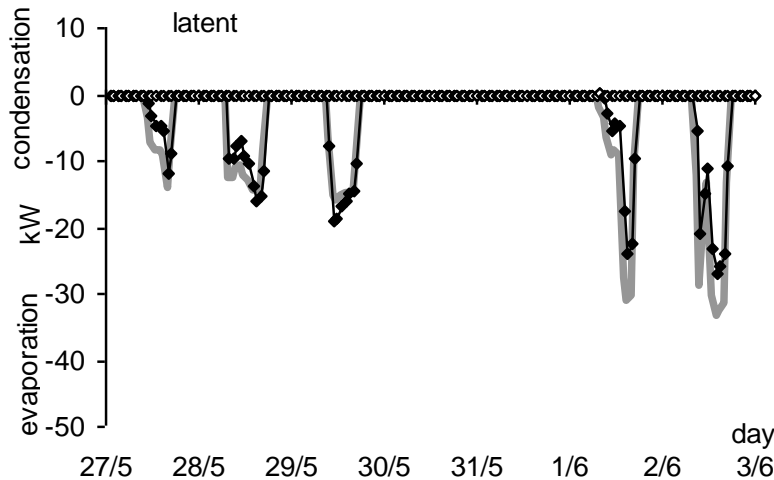
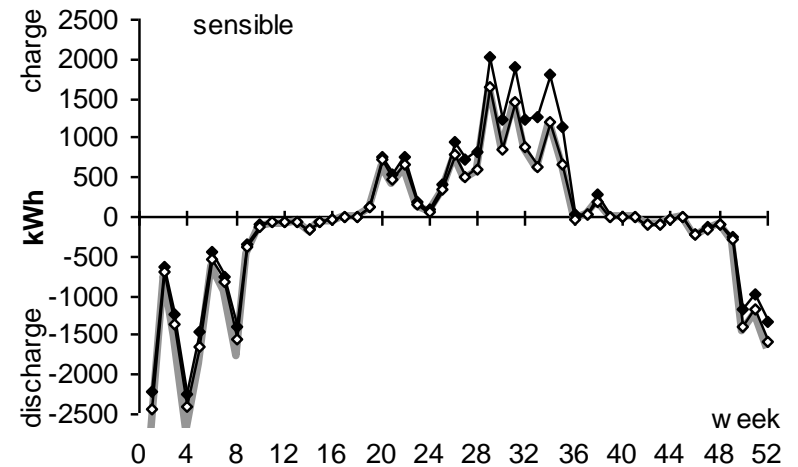


Numerical simulation versus monitoring (Schwerzenbacherhof)

Hourly dynamic over one week



Weekly dynamic over one year



— monitoring —◆— simulation with infiltration —◇— simulation without infiltration